§10. A Sutdy of the Neutralization Efficiency for a Diagnostic He⁰ Beam

Taniike, A. (Grad. Univ. for Advanced Studies) Sasao, M.

Alpha-particle measurement using a highenergy neutral beam seems to be feasible on the $D^{-3}He$ experiment of LHD and on the DT experiment of ITER. In this scheme, alpha particles are neutralized by beam particles through two-electron transfer processes,

 ${}^{4}\text{He}^{++} + A^{q} - > {}^{4}\text{He}^{0} + A^{q+2}$

escape from a plasma, and are detected in the high energy neutral particle analyzer. In order to measure alpha-particles over the energy range of 0.5 - 3.5 MeV, the required beam energy is approximately 1 MeV for a ³He⁰ beam.

There are several methods to produce such a high-energy He^0 beam; (1) the gas neutralization of a He⁺ beam of the MeV region, (2) the gas neutralization of a high energy He⁻ beam, (3) the time of flight neutralization of a He⁻ beam, and (4) the gas neutralization of a high energy HeH⁺ beam. In general, a certain fraction of a long-life metastable state He^{*}, which is easily ionized in a gas cell or in a plasma, is contaminated in a He⁰ beam.

Taking in the most of the possible charge transfer and excitation/deexcitation processes, the beam fractions of He⁻(I⁻), He⁰(I⁰), He^{*}(I^{*}), He⁺(I⁺), HeH⁺(I_{HeH}⁺), and He⁺⁺(I⁺⁺) are calculated when a beam of He⁺, He⁻, or HeH⁺ enters in an helium gas cell by solving the rate equations, as the following,

The charge fractions when a He⁻ beam of 600 keV is injected into a helium gas are shown in Fig. 1 as a function of the target gas thickness. The optimum neutralization efficiencies for various beams thus obtained are shown in Fig.2.



Fig. 1 The charge fractions of a He⁻ in He



Fig. 2 Neutralization efficeincies: energy is in keV

$$dI^{-}/dx = -(\sigma_{-,0} + \sigma_{-,*} + \sigma_{-,+} + \sigma_{-,++})I^{-}$$

$$dI^{0}/dx = \sigma_{-,0}I^{-} + \sigma_{*,0}I^{*} + \sigma_{+,0}I^{+} + \sigma_{++,0}I^{++} - (\sigma_{0,*} + \sigma_{0,+} + \sigma_{0,++})I^{0}$$

$$dI^{*}/dx = \sigma_{-,*}I^{-} + \sigma_{0,*}I^{0} + \sigma_{+,*}I^{+} + \sigma_{++,*}I^{++} - (\sigma_{*,0} + \sigma_{*,+} + \sigma_{*,++})I^{*}$$

$$dI^{+}/dx = \sigma_{-,+}I^{-} + \sigma_{0,+}I^{0} + \sigma_{*,+}I^{*} + \sigma_{++,+}I^{++} - (\sigma_{+,0} + \sigma_{+,*} + \sigma_{+,++})I^{+}$$

$$dI^{++}/dx = \sigma_{-,++}I^{-} + \sigma_{0,++}I^{0} + \sigma_{*,++}I^{*} + \sigma_{+,++}I^{+} - (\sigma_{++,0} + \sigma_{++,*} + \sigma_{++,+})I^{++}$$